Probabilities Using Counting Techniques

$$P(E) = \frac{n(E)}{n(S)}$$
 event total

Probabilities Using Permutations

Two cards are drawn at random from a standard deck of 52 cards, without replacement. What is the probability that both cards drawn are queens?

event total = the way to draw 2 cards out of 4 queens the way to draw 2 cards from a deck of 52

$$= 4 \frac{P_2}{52}$$

$$= 12$$

$$2652$$

$$= 221$$

Probabilities Using Permutations

Mrs. Smith has to correct papers for three different classes: Course I, Course II, and Course III. If Mrs. Smith corrects the papers for each class at random, what is the probability she corrects Course I papers first?

$$\frac{1}{2} \cdot \frac{2 \cdot 1}{2 \cdot 1} \cdot \frac{1 \cdot 1}{1 \cdot 1} \longrightarrow \frac{2}{6} = \frac{1}{3}$$

Probabilities Using Permutations

Exactly Three People form a line at a grocery store. What is the probability that they will line up in descending order of age? (I.e. oldest, middle and youngest)

Probabilities Using Combination

A jar contains 3 white and 6 red marbles, all of equal size Three harbles are drawn at random without replacement. What is the probability that at least 2 marbles drawn are red?

Probabilities Using Combination

A bag of cookies contains 6 chocolate chip, 5 peanut butter, and 1 oatmeal. Brandon selects 2 cookies at random. Find the probability that Brandon selected:

a) 2 chocolate chip cookies

$$\frac{6^{\frac{1}{2}}}{6^{\frac{1}{2}}} = \frac{15}{66} = \frac{5}{22}$$
 or 0.23

b) 1 chocolate chip and 1 peanut butter

Probabilities Using	
Probabilities Using	

Three cards are drawn randomly from a hat containing cards with the twenty-six letters of the alphabet on them. Determine the probability of selecting A and B.

$$\frac{|C_1 \times |C_1 \times 24C_1|}{26C_3} = \frac{24}{2600} = 0.0092 = \frac{3}{325}$$

Probabilities Using Permutation

Six students are asked to secretly choose a number from 1 to 15. Determine the probability that at least two students choose the same number to the nearest thousandth.

$$P(A) = |-P(A')| | ||S|| ||S|$$